Today you will be using the...

- Discriminant to determine the number and type of solutions for a quadratic function
- Quadratic formula to solve quadratic functions


## The Discriminant

$$
b^{2}-4 a c
$$

- small part of the quadratic equation
- used to determine the number and type of solutions (x-intercepts, roots, or zeros) to a quadratic function
- equation must be written in standard form: $a x^{2}+b x+c=0$

| Value of Discriminant | Type and Number of <br> Solutions |  |
| :---: | :---: | :---: |
| Positive Discriminant <br> $b^{2}-4 a c>0$ | Two Real Solutions |  |
| Discriminant is Zero |  |  |
| $b^{2}-4 a c=0$ |  |  |$\quad$| One Real Solution |
| :---: |
| Negative Discriminant |
| $b^{2}-4 a c<0$ |$\quad$| No Real Solution |
| :---: |
| (two imaginary solutions) |

## The Quadratic Formula

$$
x=\frac{-b \pm \sqrt{b^{2}-4 a c}}{2 a}
$$

- Works for solving ANY quadratic equation-equation must be written in standard form: $a x^{2}+b x+c=0$
- Best used when the quadratic expression is not factorable

Directions: Find the discriminant of the following problems and state the nature and the number of solutions. Use the quadratic formula to determine the solutions and draw a quick sketch of the graph.

| $x^{2}-8 x+16=0$ | $-5 x^{2}+x+1=0$ | $8 x^{2}+8 x+3=0$ |
| :---: | :---: | :---: |
| $a=\quad b=\quad c=$ | $a=\quad b=\quad c=$ | $a=\quad b=\quad c=$ |
| Discriminant and \# of Solutions | Discriminant and \# of Solutions | Discriminant and \# of Solutions |
| Quadratic Formula | Quadratic Formula | Quadratic Formula |



Directions: Solve using the quadratic formula. Remember, it must be in STANDARD FORM first $\left(a x^{2}+b x+c=0\right)$ !

$$
x^{2}+3 x=2 \quad a=\quad b=\quad c=
$$

$$
x^{2}+18=10 x \quad a=\quad b=\quad c=
$$

$$
x^{2}=x+30 \quad a=\quad b=\quad c=
$$

